



Regulating platform fees under price parity?

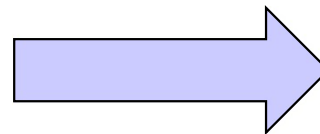
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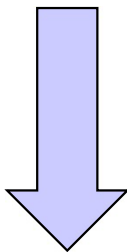
Introduction

- Online platforms provide very **useful services**.
- Most of them operate under the **agency model**, and charge **commission fees** that are rather substantial.
- Platforms often adopt practices such as **price parity clauses** that are highly controversial, as they can contribute to **reduce competition** and/or **increase prices**.
- Should antitrust and/or regulatory authorities intervene? If so, then how?
- Currently, no **international agreements** have been established.

Price Parity Clauses: how do they work?

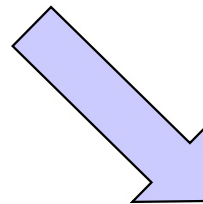


\$ 200



<https://www.marriott.com/hotels/travel/bosfn-residence-inn-boston-back-bay-fenway/>

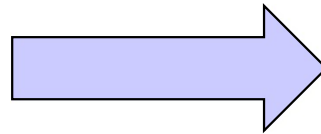
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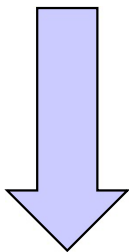
≥ \$ 200

Wide Price Parity Clauses

Narrow Price Parity Clauses

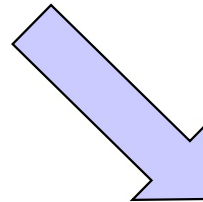


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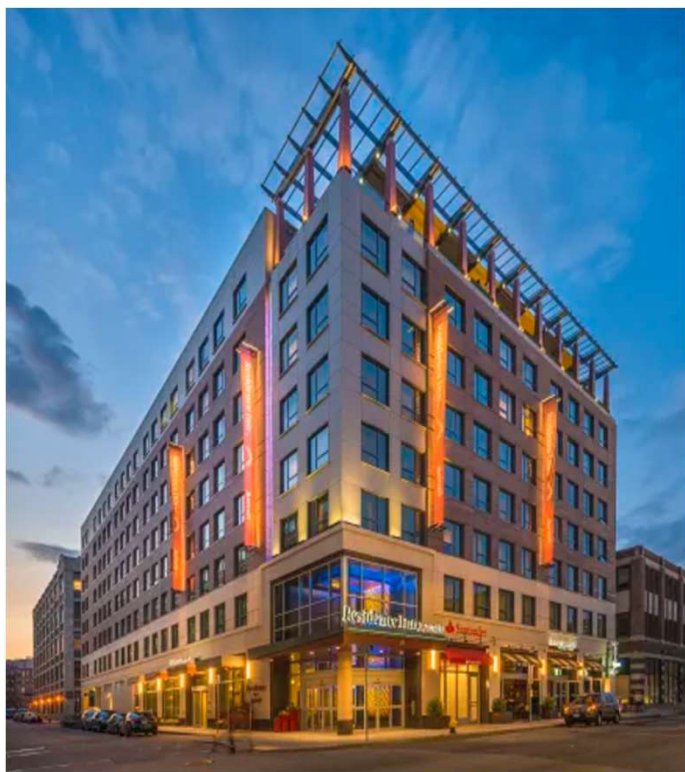


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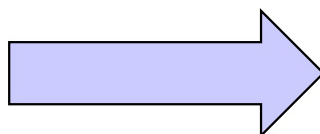
$\geq$ \$ 200



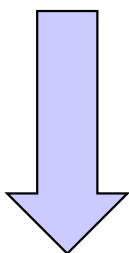
\$ 190



Banning Price Parity Clauses: expected result

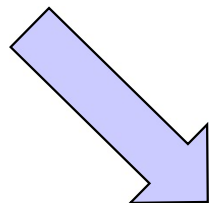


\$ 180



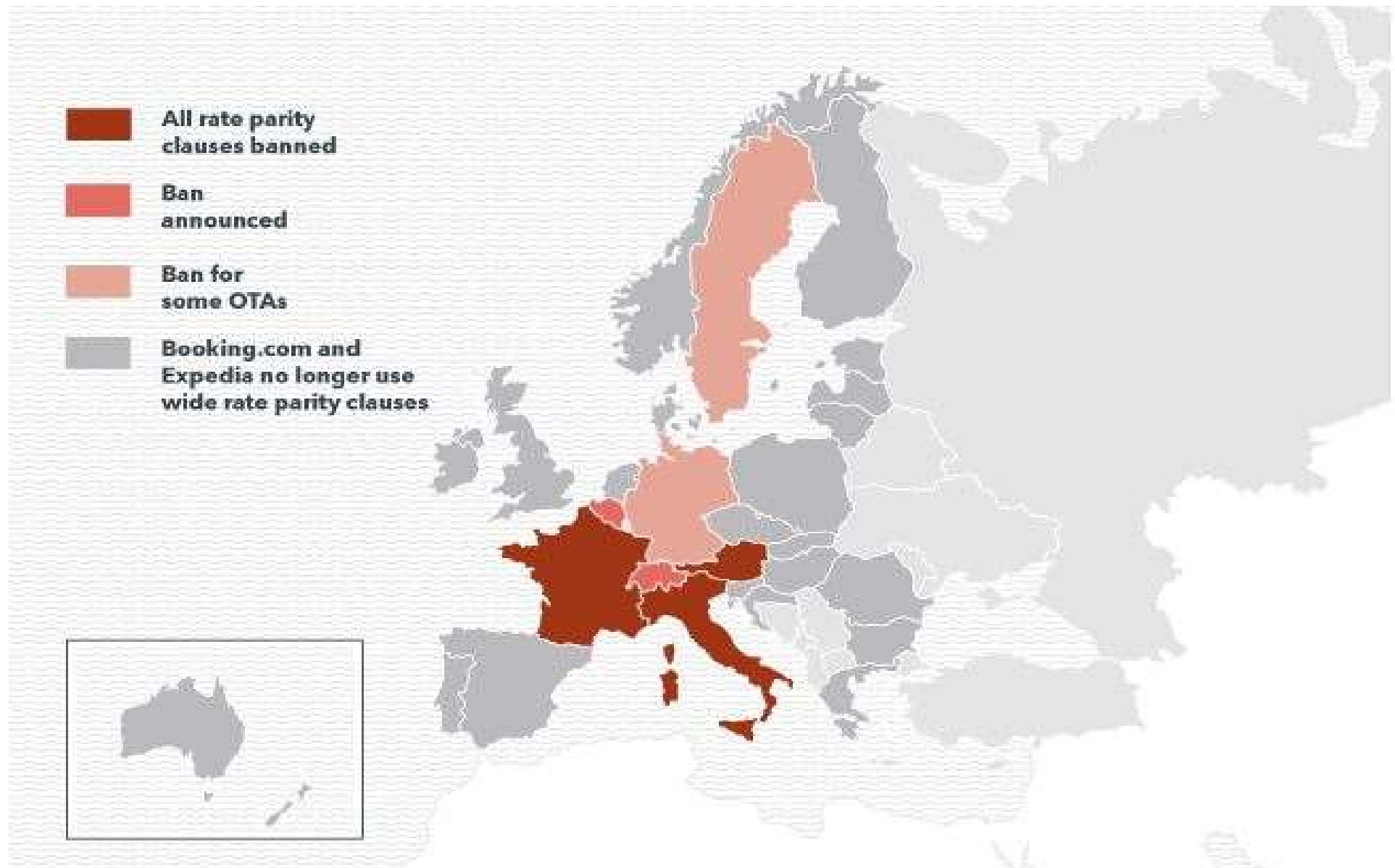
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\$ 170



\$ 180

OTA's situation



In the literature

- **Theoretical contributions** investigating issues such as *showrooming*, theory of harm, anticompetitive effects of PPCs, suggesting their **(partial or full) removal**:
 - Edelman and Wright (2015); Boik and Corts (2016); Johnson (2017); Johansen and Vergé (2017); Wang and Wright (2020); **Calzada, Manna, Mantovani (2021)**; Schlutter (2021).
- **Empirical contributions** measuring the **economic effect of (some) policy interventions**:
 - Hunold, Kesler, Laitenberger, Schlutter (2018), Cazaubiel, Cure, Johansen and Vergé (2020); Ennis, Lagos, Ivaldi (2020); **Mantovani, Piga, Reggiani (2021)**; Song (2021).

Have these policy interventions produced tangible results?

- It does not seem so...
 - Sellers might still practice price parities to remain in **good terms** with the platform.
 - Or maybe because they are afraid of «dimming» (Hunold et al. 2020)?
 - Amazon is removing the Buy Box feature for merchants that lower prices on other channels.
 - All in all, only **limited effects** found by ECN (2017), Mantovani et al. (2021), Ennis et al. (2020).

■ What about regulating commission fees?

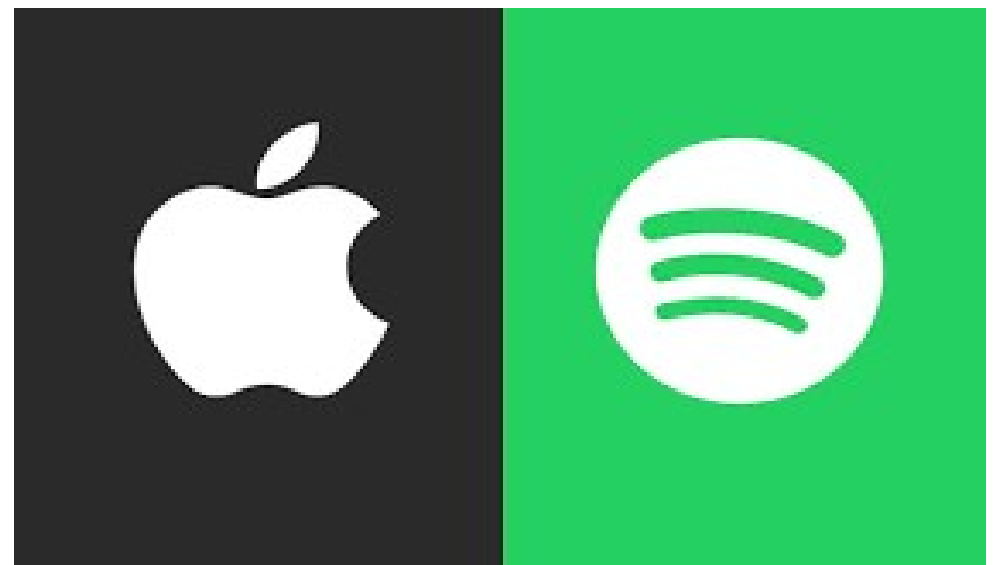
- In May 2020, many US cities passed laws imposing commission caps.
- New York passed on May 16th commission limits imposing that third-party delivery services must **not charge more than 15% per order**.
- Similar initiatives were taken in Canada in 2021, specifically in the provinces of Ontario and Saskatchewan, with caps ranging from 15% to 18%.
- A theoretical framework guiding regulation has however been missing.



App developers criticized the mandatory use of Apple's own in-app purchase system and the **30% commission rate** associated with this.

The Coalition for App Fairness against the “Apple Tax”.

DMA proposal: platforms should allow consumers to directly trade with third-party developers.



In this paper

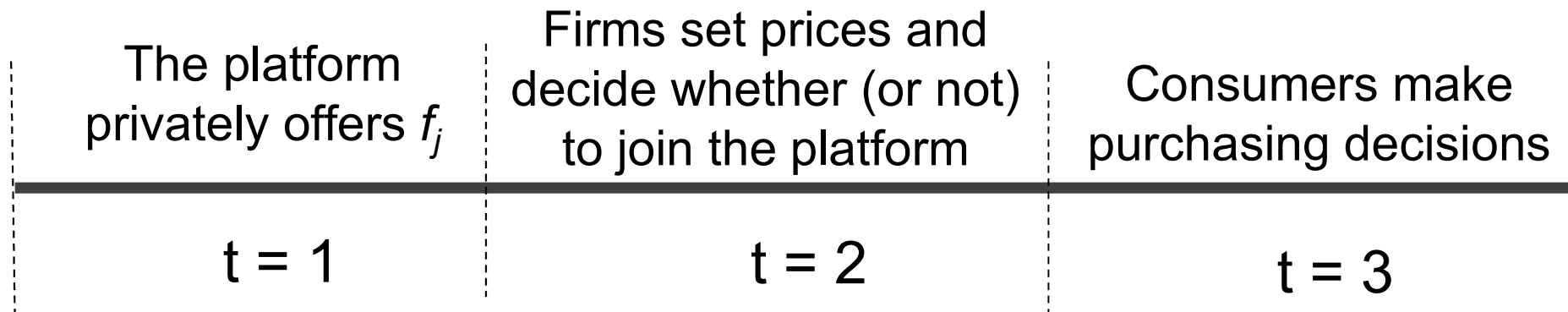
- Our aim is to:
 - ❖ investigate **how to regulate information platforms**;
 - ❖ **derive optimal cap**;
 - ❖ **relate cap regulation to competition policy alternatives** such as banning price parities.
- Main results:
 - ❖ **theory of harm** based on contractual externality among firms;
 - ❖ we propose simple **tests to assess platform contribution to producer/consumer surplus**;
 - ❖ we show that **banning price parity is akin to cap platform fee inefficiently low**.

The baseline model (main elements)

- A **monopolist** platform charging fee per sale.
- N sellers: $j = 1, \dots, N$
- Unit mass of consumers.
- **Consumers' gross utility:** $\hat{v}_j = v_j + z_j$
 - z is iid draw from symmetric distribution G with density g .
- Each firm faces marginal cost c_j per sale; price is p_j .
- A firm belongs to the **consideration set** of a consumer if he/she observes the pair $(\hat{v}_j, p_j)$.
- Consumers are **heterogeneous** on their **consideration sets**;
 - heterogeneity described by means of **consideration profile** σ .
- **Potential demand** is:
$$d_j[\sigma] \equiv \bigcup_{\{s: j \in s\}} \sigma(s)$$

The platform expands consumer information

- Before consulting the platform: information described by symmetric $\underline{\sigma}$, with reach $\underline{n} \leq N$.
 - It captures all **information obtained outside** of platform.
- All firms listed on the platform are added to the **consideration set** of every consumer.
 - **Implicit assumption**: visiting the platform is **costless** for consumers.
- If all firms join, information described by $\overline{\sigma}$, with reach N .
- Transaction within the platform generates **convenience benefit** b to firms, which pay a fee f_j for each sale.
- **Price parity clauses** are in place.



- Perfect Bayesian equilibrium with passive beliefs.
- The market is fully covered.
- If a firm joins the platform, all of its sales happen through the platform.
- **Assumption:** symmetric market, which implies

$$\delta = v_j - c_j \quad \forall j.$$

Consumer purchasing and pricing equilibrium

- Each consumer chooses the “best” firm in his/her consideration set.
- Pricing eq. is *symmetric* if firms have constant markups:

Lemma

Suppose consideration profile σ is symmetric with reach $n \geq 2$. Under weak regularity conditions, unique symmetric equilibrium such that

$$p_j^* = c_j + \lambda(n), \quad \text{for all } j \in \mathcal{N},$$

where the markup $\lambda(n)$ is solely a function of the reach n .

- If all firms join at some symmetric fee f , eq. prices are:

$$p_j^* = c_j + f - b + \lambda(N).$$

Laissez-faire: equilibrium characterization

Proposition

There exists a symmetric equilibrium where all firms join and pay a fee $f^ > b$, which solves*

$$\frac{\lambda(N)}{N} = |d_j[\underline{\sigma}]| \cdot \max_{\Delta p} \left\{ \left(1 - H^{(N)}(\Delta p) \right) (\Delta p + f^* + \lambda(N) - b) \right\}.$$

- Equilibrium fee f^* leaves each firm indifferent between:
 - **delisting**, facing much reduced potential demand, but competing with lower marginal costs;
 - **remaining**, enjoying large potential demand, but competing under no marginal cost advantage.

The platform is a «must-join»

Corollary

Consider two pre-visit consideration profiles, $\underline{\sigma}_0$ and $\underline{\sigma}_1$, and let f_0^ and f_1^* be their respective equilibrium fees. Then*

$$f_0^* \leq f_1^* \iff |d_j[\underline{\sigma}_0]| \geq |d_j[\underline{\sigma}_1]|.$$

- Firms accept higher fees the smaller their (pre-visit) potential demands are.
- Equilibrium fee f^* grows as potential demand shrinks and it often exceeds convenience and information benefits to consumers and firms.
- Why?
- The platform is a «must-join»...

Externality on non-participants

- Suppose all firms join the platform, except for firm j .
- All consumers that consider j now consider all other firms.
- Those consumers who did not consider firm j now consider all firms other than j .
- **Non-participant firm exposed to much more competition with platform than without it.**
- **Contractual externality** (Segal, 1999): this explains why **the platform can appropriate more than its contribution to welfare!**
- Yet, banning price parity prevents the platform from appropriating any of (ex-ante) informational benefits.
- **Remark:** results hold with **public fee** and **two-part tariffs**.

Cap regulation

- The optimal regulation balances **gains from lower fees** and **potential losses from having no platform**.
- Platform's operating cost is $k \sim \Phi$, with pdf ϕ and supp on $\mathbb{R}_+$
- How to compute welfare in absence of the platform?
- We consider a **counterfactual** consideration profile $\hat{\sigma}$ describing consumer information without platform.
- Regulation depends on **conjecturing by how much the platform expands the consideration set of consumers in equilibrium relative to the counterfactual**.



Google Hotels

Mature market

- Latent demand is nil.
- The **welfare measure** combines two terms:
 - **consumer** and **producer** surplus;
 - **platform's** profit.
- Let $Z^{1:n}$ represent the maximum out of $n \leq N$ coordinates
- Assuming the cap binds; the planner objective is:

$$W(\bar{f}) \equiv \int_0^{\bar{f}} \left\{ \delta + \mathbb{E}[Z^{1:N}] - \bar{f} + b + \underbrace{\alpha(\bar{f} - k)}_{\text{weight of platform's profit}} \right\} d\phi(k) + (1 - \Phi(\bar{f})) \left(\delta + \mathbb{E}[Z^{1:\hat{n}}] \right)$$

weight of platform's profit

Optimal cap regulation (mature market)

Proposition

The welfare-maximizing cap is given by

$$\bar{f}_\alpha = b + \mathbb{E}[Z^{1:N}] - \mathbb{E}[Z^{1:\hat{n}}] - (1 - \alpha) \frac{\Phi(\bar{f}_\alpha)}{\phi(\bar{f}_\alpha)}$$

If planner is utilitarian ($\alpha = 1$), we obtain

$$\bar{f}_1 = b + \mathbb{E}[Z^{1:N}] - \mathbb{E}[Z^{1:\hat{n}}]$$

If no weight is given to platform's profit, and $k \sim U[0, \bar{k}]$,

$$\bar{f}_0 = \frac{1}{2} \bar{f}_1$$

- Obviously, cap regulation is more likely to bind when $\alpha < 1$.

Utilitarian cap regulation

$$\bar{f} = b + \underbrace{E[Z^{1:N}] - E[Z^{1:\hat{n}}]}_{\text{Informational Benefit}}$$

Convenience Benefit + Informational Benefit

- The optimal cap equals the **expected externality** that the platform imposes on the other market participants.
- Notion of “**fairness**” for remuneration of stacked platforms.
- If the platform is informationally redundant, the surplus-neutral fee equals the convenience benefit b .
- Optimal cap binds provided the size of the pre-visit potential demand $\underline{d}$ is sufficiently lower than its counterfactual counterpart $\hat{d}$

Optimal cap under logit demand

- Suppose the market is mature and consumer match values are iid across firms with a **Gumbel cdf** with scale parameter $\beta > 0$.
- The optimal utilitarian cap is given by:

$$\bar{f}_1 = b - \beta \ln(\hat{d}) = b - \left(\frac{N-1}{N} \right) \lambda(N) \ln(\hat{d}),$$

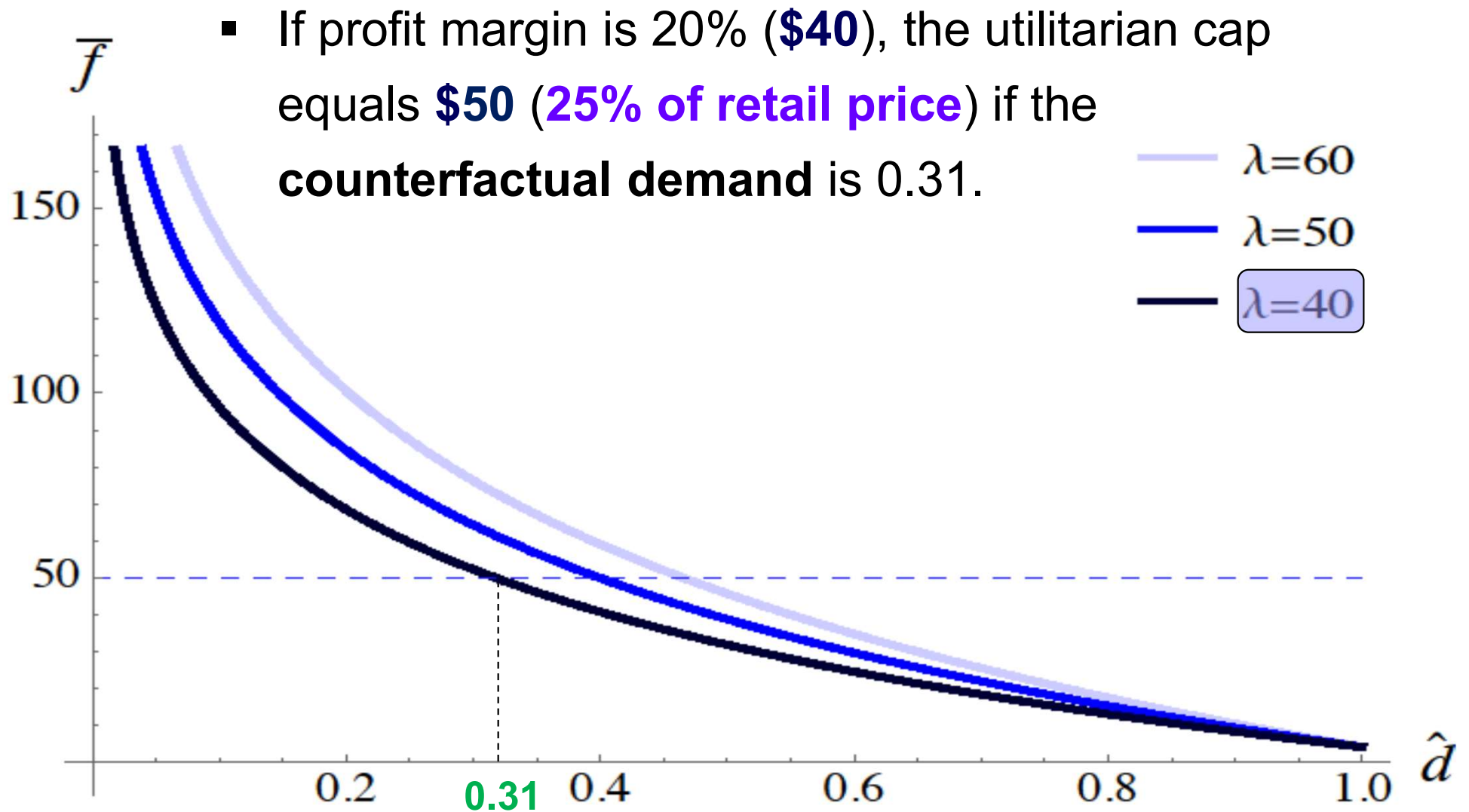
where $\lambda(N) = \beta \left(\frac{N}{N-1} \right)$ is the logit markup.

- Useful to express surplus-neutral fee in terms of firms' profit margin and counterfactual demand.

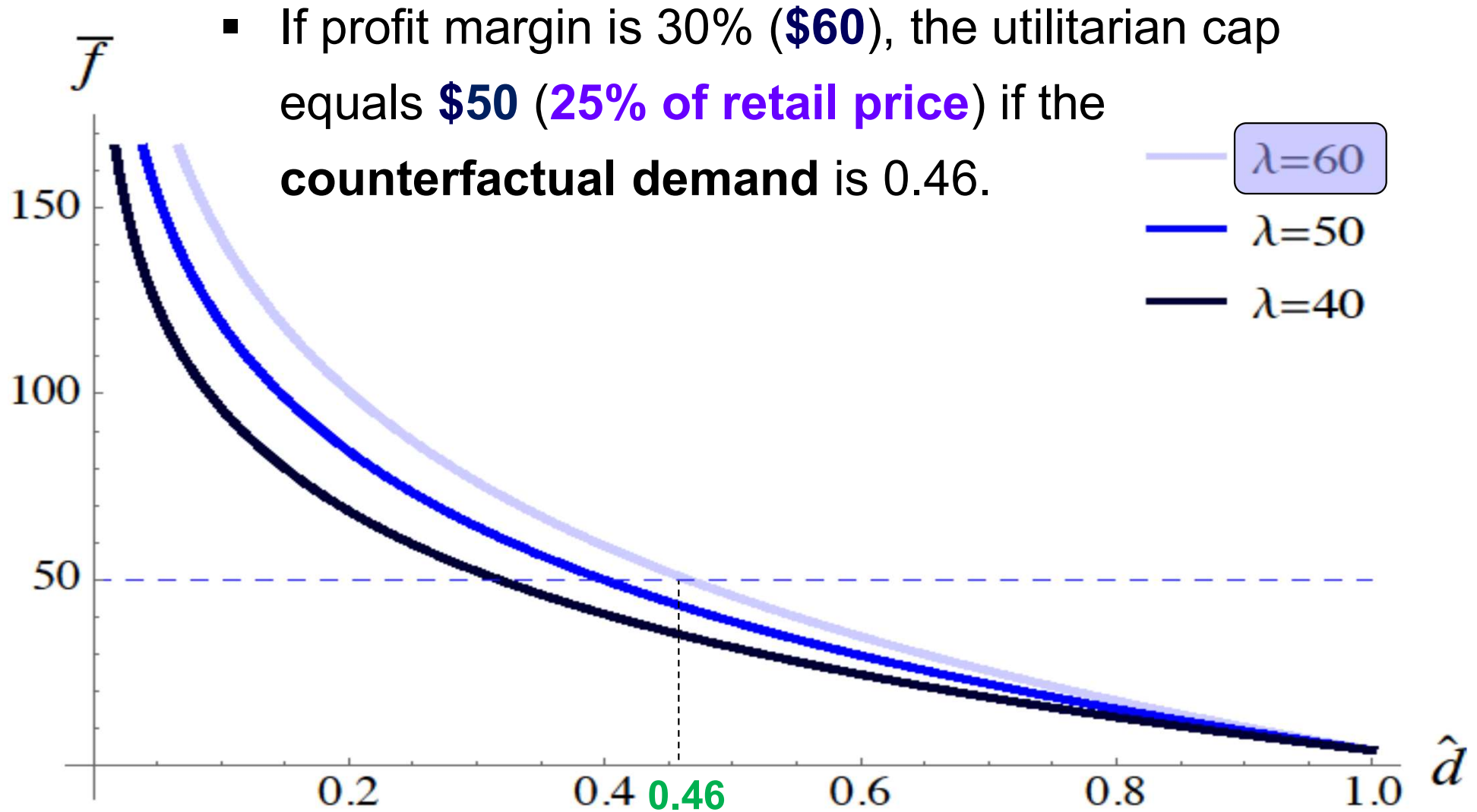
Numerical illustration: New York City

$$\bar{f}_1 = b - \beta \ln(\hat{d}) = b - \left(\frac{N-1}{N} \right) \lambda(N) \ln(\hat{d}),$$

- Consider hotels in **New York City** in 2019:
 - avg rate for a budget double room was around **\$200**;
 - **profit margins** varied from 10% to 30% of the retail price;
 - convenience benefit b around 2% (**\$4**);
 - $(N-1)/N$ can be approximated to 1.



Hence, a commission fee of up to 25% does not exceed the cap, provided the platform **more than triples the hotel's potential demands** under alternative search technologies.



A commission fee of up to 25% does not exceed the cap, provided the platform **more than doubles the hotel's potential demands**.

Expanding markets

- The platform brings in new consumers (**latent demand**).
- Let d_0 denote the size of the latent demand $\underline{\sigma}(\emptyset)$.

Corollary

Relative to the no-platform benchmark, firms gain with the presence of a monopolistic platform if and only if

$$d_0 > 1 - \frac{\lambda(N)}{\lambda(\hat{n})}.$$

- **Sellers may gain with a platform**, as increased competition for each consumer is accompanied by more sales.

Extending the welfare measure

- The previous discussion suggests that **cap regulation should be more lax**.
- What payoff of latent consumers in the absence of the platform?
- Assume the outside option of latent consumers is the same as that of existing consumers if platform inactive.
- The utilitarian welfare is then:

$$\begin{aligned}\tilde{W}(\bar{f}) \equiv \int_0^{\bar{f}} \{ \delta + \mathbb{E}[Z^{1:N}] + d_\emptyset[\hat{\sigma}] \lambda(N) + b - k \} d\phi(k) \\ + (1 - \Phi(\bar{f})) (\delta + \mathbb{E}[Z^{1:\hat{n}}])\end{aligned}$$

Expanding markets: utilitarian cap

Proposition

Suppose planner is utilitarian. Utilitarian cap is then

$$\tilde{f}_1 = b + \mathbb{E}[Z^{1:N}] - \mathbb{E}[Z^{1:\hat{n}}] + \lambda(N)\hat{d}_0.$$

Under Logit demand,

$$\begin{aligned}\tilde{f}_1 &= b - \beta \ln \left(\frac{\hat{d}}{1 - d_0} \right) + \lambda(N)d_0 \\ &= \underbrace{b - \lambda(N) \left(\frac{N-1}{N} \right) \ln(\hat{d})}_{\text{cap under mature market}} + \underbrace{\lambda(N) \left(\left(\frac{N-1}{N} \right) \ln(1 - d_0) + d_0 \right)}_{\text{expanding market adjustment}},\end{aligned}$$

where $\lambda(N) = \beta \left(\frac{N}{N-1} \right)$ markup.

If N high, this term is negative

- 
- ❑ **The utilitarian cap in an expanding market is very often lower than it would be were the market mature!**
 - ❑ Fixing size of counterfactual potential demands, the reach of $\hat{\sigma}$ is higher in expanding than in mature markets.
 - Consider hotels in **Toulouse** in 2019:
 - avg rate for a double room was around € **80**;
 - **profit margins** 20%; b around 2% (€ **1.6**); d_0 around 0.5.
 - $(N-1)/N$ can be again approximated to 1.

A commission fee of up to 15% does not exceed the cap, provided the platform **more than doubles the hotel's potential demands (only doubles for mature markets)**.



Large markets: approximating optimal cap

- In general, the cap is **not** expressed in terms of observables.
 - What distribution of consumer tastes across firms?
- Idea: employ **approximation techniques based on extreme value theory**.
 - Let the market grow large holding constant latent and potential demand.
- This allows us to express the cap as a function of firms' potential demands and markups.
- Measurable through surveys and experiments.

Asymptotic equivalence

- From definition of symmetric information profiles

$$\hat{d} = \frac{n}{N} (1 - \hat{d}_0).$$

- Random utility model: match value independent across firms

Proposition

Under a regularity condition on match value cdf G_1 ,

$$\lim_{\hat{n}, N \rightarrow \infty} \left\{ \frac{\mathbb{E}[Z^{1:N}] - \mathbb{E}[Z^{1:\hat{n}}]}{\lambda(N)} \right\} = \frac{1 - \hat{d}_0}{\hat{d}} - 1,$$

Relative expansion of consumer cons. set

where the limit above is taken as $\hat{n}$ and N grow large while satisfying (1). Utilitarian cap is then approximated by

$$\tilde{f}_1 \approx b + (1 - \hat{d}_0) \left(\frac{1 - \hat{d}}{\hat{d}} \right) \lambda(N).$$

Another Easier-to-Use Formula

$$\tilde{f}_1 \approx b + \left(\frac{1 - \hat{d}_0}{\hat{d}} - 1 \right) \lambda(N) + \hat{d}_0 \lambda(N) = b + (1 - \hat{d}_0) \left(\frac{1 - \hat{d}}{\hat{d}} \right) \lambda(N).$$

- For instance, if the market is **mature** and the **platform doubles potential demands**, **its fee should not exceed the convenience benefit added to the firms' profit margin.**

Other remedies

- If consumers can switch to the sales channel with the lowest price, **banning price parity** is outcome-equivalent to capping the platform fee at the convenience benefit.
 - **This cap is inefficiently low**, be the market mature or growing, as it prevents the platform from appropriating (any of) the informational (ex-ante) benefits it generates.
- We also consider **platform competition**. However, as consumers single-home at equilibrium, fees do not decrease, both under wide or narrow parities.
 - Price parity ties the firm's price at the direct-sales channel to the price charged at some platform where it is still listed.
 - Platforms can sustain the monopolistic fee in equilibrium, rendering competition ineffective.

Concluding remarks

- Platform are often able to charge high fees due to **contractual externality**.
- **Welfare maximizing cap** equals the **expected externality** that the platform imposes on the other market participants.
- The utilitarian cap can be expressed as a function of the **convenience benefit**, firms' **profit margin** and the relative **expansion of consumer consideration sets**.
- **Banning price parity is outcome-equivalent to inefficiently low cap**.
- Competition between platforms may fail to reduce fees under wide or narrow price parity; rather fee caps.