

An Experiment on Social Learning with Information Sequencing

Pëllumb Reshidi

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How does the timing of information arrival affect final beliefs formed within a social network?

- Does the sequence of information arrival affect the final beliefs formed in a social network?
- Do different network structures affect beliefs?
- What are the predominant heuristics that guide belief dynamics?

Experimental Design

- Groups of 4 participants
- 8 games, 40 rounds each

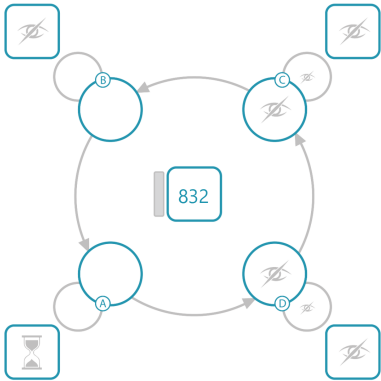
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- prior: $\theta \sim U[0, 1000]$
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- $payoff = \$10 - \frac{1}{4}|guess - truth|$ for (3 out of 8) games randomly selected and (1 out of 40) rounds randomly selected

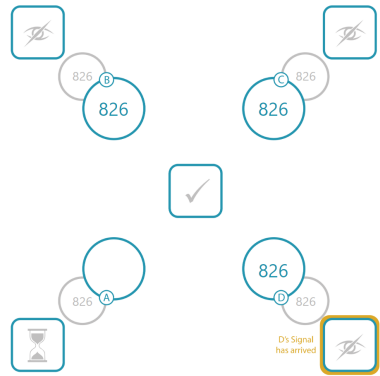
Please input your guess



Instructions: On Off Game 1/8 Rounds:

1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20
21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40

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- Releasing a signal in a later round increases the impact it has on the final beliefs
- Relevant specification: Releasing all signals jointly maximizes the weight of the prior (common signal)

- In 6 out of 8 games, information arrives sequentially in rounds $\{5, 13, 21, 29\}$
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 Sequentially release low $\rightarrow$ high

 $S_C > S_i \ \forall i$ release all in $\{5\}$

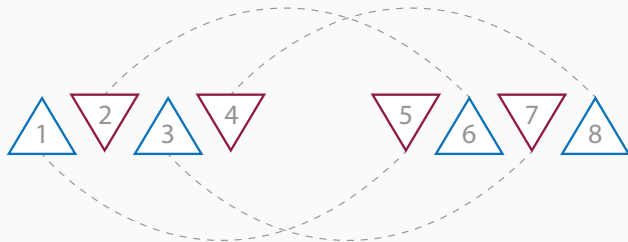
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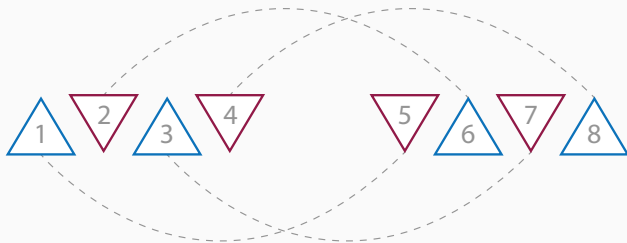
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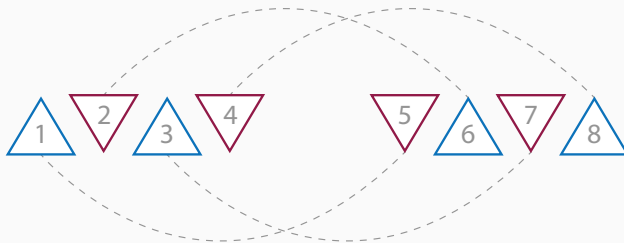






$$S_c^1 = 375 \quad S_A^1 = 353 \quad S_B^1 = 416 \quad S_c^1 = 341 \quad S_D^1 = 493$$

$$S_c^5 = 789 \quad S_A^5 = 767 \quad S_B^5 = 830 \quad S_c^5 = 755 \quad S_D^1 = 907$$



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$$S_c^5 = 375 + c \quad S_A^5 = 353 + c \quad S_B^5 = 416 + c \quad S_C^5 = 341 + c \quad S_D^1 = 493 + c$$

- Identical Network

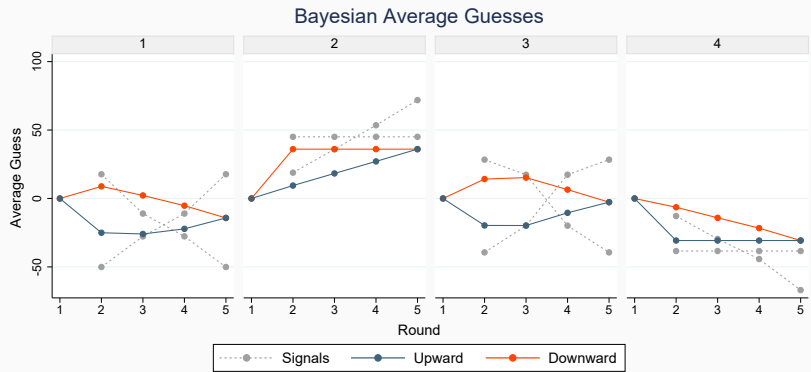
- Identical Network
- Identical Players

- Identical Network
- Identical Players
- Identical Signals

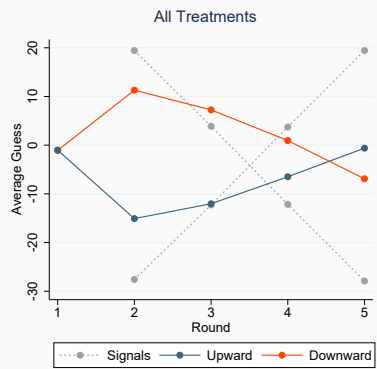
- Identical Network
- Identical Players
- Identical Signals
- Different Signal Arrival Sequence

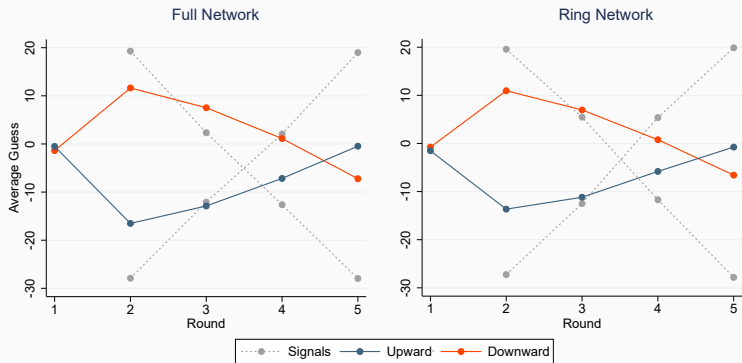
- Experiments run at Princeton Experimental Laboratory for the Social Sciences (PEXL)
- Total 136 participants
- Ring Network: 64 participants, leading to a total of 128 games (512 individual paths)
- Full Network: 72 participants, leading to a total of 144 games (576 individual paths)

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- Planning to collect more data once the lab reopens

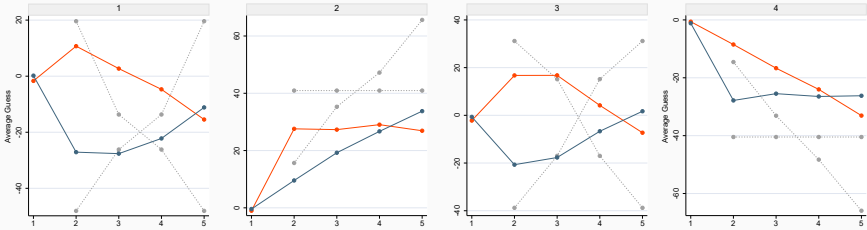


Results

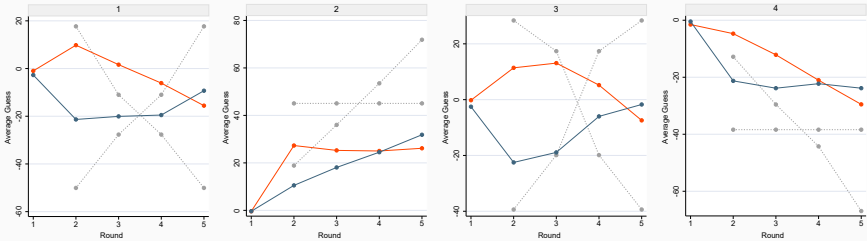




Full Network



Ring Network



..... Signals —●— Upward —●— Downward

Sequence Impact - Fixed Effects Regression: Round 32-36	
	$\Delta \text{ Guess}$
<i>Constant</i>	8.298*** (0.000)
<i>Sequential</i>	0.151 (0.899)
<i>Low Info</i>	-0.180 (0.916)
<i>Sequential</i> $\times$ <i>Low Info</i>	-1.952 (0.366)
<i>N</i>	2720
Individual level clustering	
<i>p</i> -values in parentheses	
* $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$	

$\Delta \text{ Guess} \in [6.17, 8.45]$ corresponds to 0.34 – 0.60 of ex-post s.d.

Weight on Signals: Round 32-36		
Guess		
	Low Information Treatment	High Information Treatment
⋮	⋮	⋮
S_i	0.186*** (0.000)	0.150*** (0.021)
Bonus	0.0553*** (0.003)	0.0863*** (0.012)
N	1024	1152

Individual level clustering

p-values in parentheses

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Table 1: Weight on Common Signal

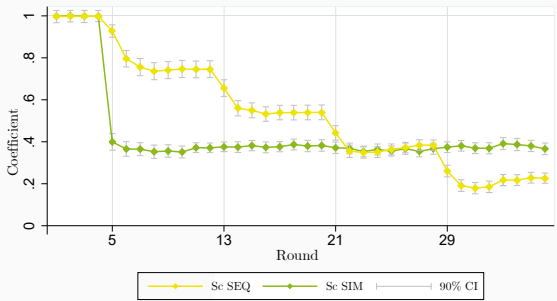
	Guess on Round 36
S_c	0.385*** (0.000)
$S_c \times SIM \times HIT$	-0.0409 (0.235)
$S_c \times SEQ$	-0.122*** (0.001)
$S_c \times SEQ \times HIT$	-0.0716** (0.012)
N	1088

p-values in parentheses

Individual-level clustering

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Figure 1: The Weight on the Common Signal: SEQ VS SIM



Model Parameter Estimation

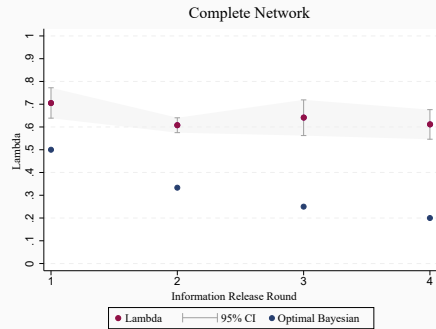
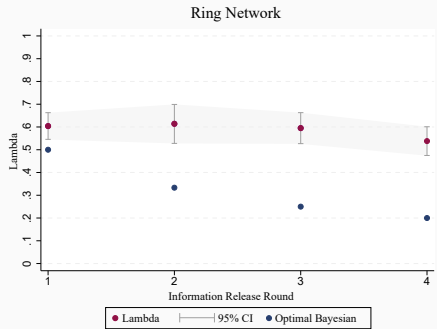
Estimate a **Hybrid Model**, that nests the **Bayesian Model**, the **Sequential DeGroot Model**, and intermediate levels of sophistication.

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Weights on own previous guesses					
Regular rounds			Information rounds		
	$m_{i,i}$	$m_{i,j}$	$\underline{m}_{i,i}$	$\underline{m}_{i,j}$	$\overline{m}_{i,j}$
Value	0.55	0.14	0.33	0.07	0.51
95% CI	(0.54-0.57)	(0.13-0.15)	(0.27-0.39)	(0.04-0.10)	(0.48-0.53)

Anchoring parameters		
	δ_c	δ_s
Value	0.02	0.07
95% CI	(0.01-0.03)	(0.06-0.08)

Weights on own signals				
	λ_5	λ_{13}	λ_{21}	λ_{29}
Value	0.70	0.57	0.64	0.61
95% CI	(0.64-0.77)	(0.51-0.64)	(0.56-0.72)	(0.55-0.68)



- The timing of information arrival affects beliefs (in a predictable manner).
- The network structure and information sequencing the can be utilized to improve outcomes.
- Participants are not fully mechanical, but not Bayesian either.
- Main heuristic: over-weighting own signals + lack of adjusting over time.